



This sounds hard!

Does it have to be so complicated?

so let's talk about

Simplified collision detection

Sometimes it doesn't have to be hard at all!



Approximative methods Collision shapes

Simplify the narrow phase with simplified versions of the geometry

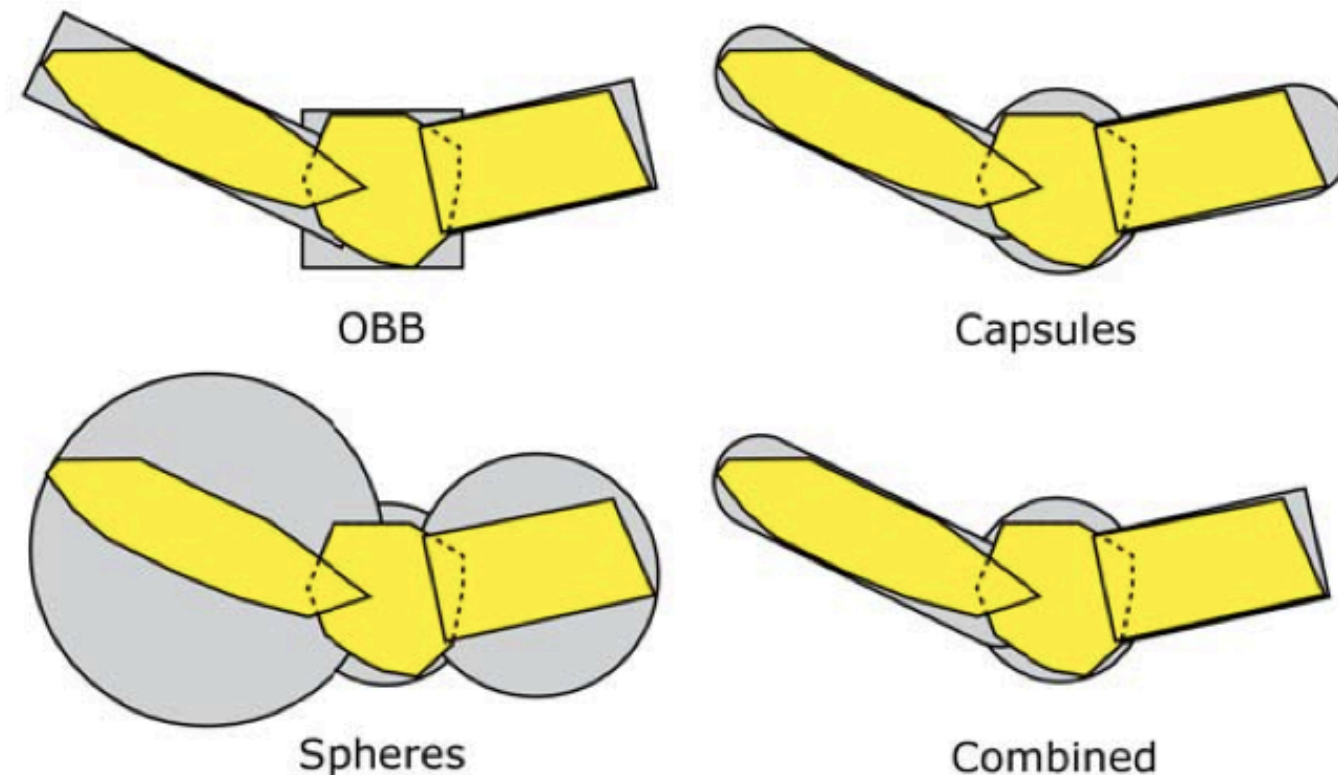
- **Low-polygon version of a polyhedra**
- **A "standard" shape that follows the shape as closely as possible**

The "narrow phase" more or less blends into the "broad phase"



Multiple simple shapes

Use a number of very simple primitive shapes to approximate a complex shape



From:
Henrik Bäcklund,
Niklas Neijman,
"AUTOMATIC MESH
DECOMPOSITION FOR REAL-
TIME COLLISION DETECTION",
2013



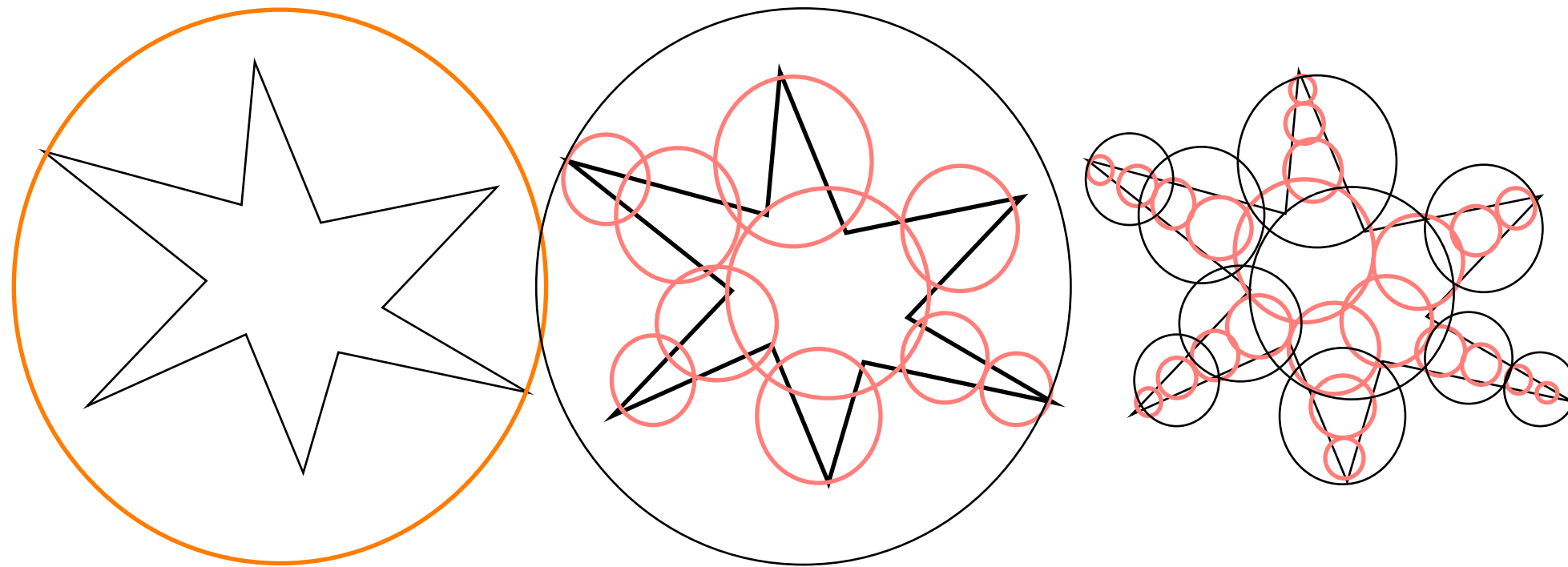
Decomposing to spheres

Sphere-sphere collisions only

Very simple tests!



Object hierarchies

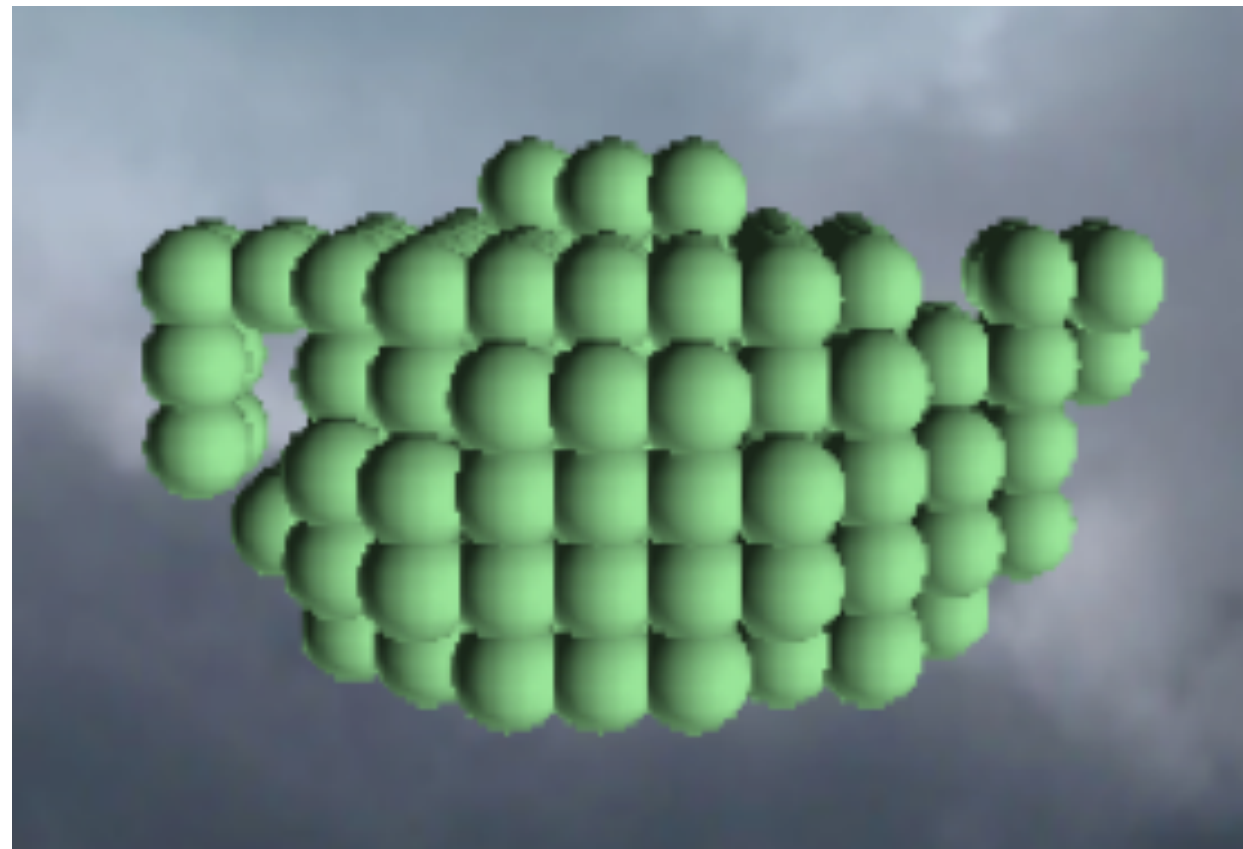


Collision detection is done to the level that available time permits



Voxelization

Break down model to voxels, test with one sphere per one voxel

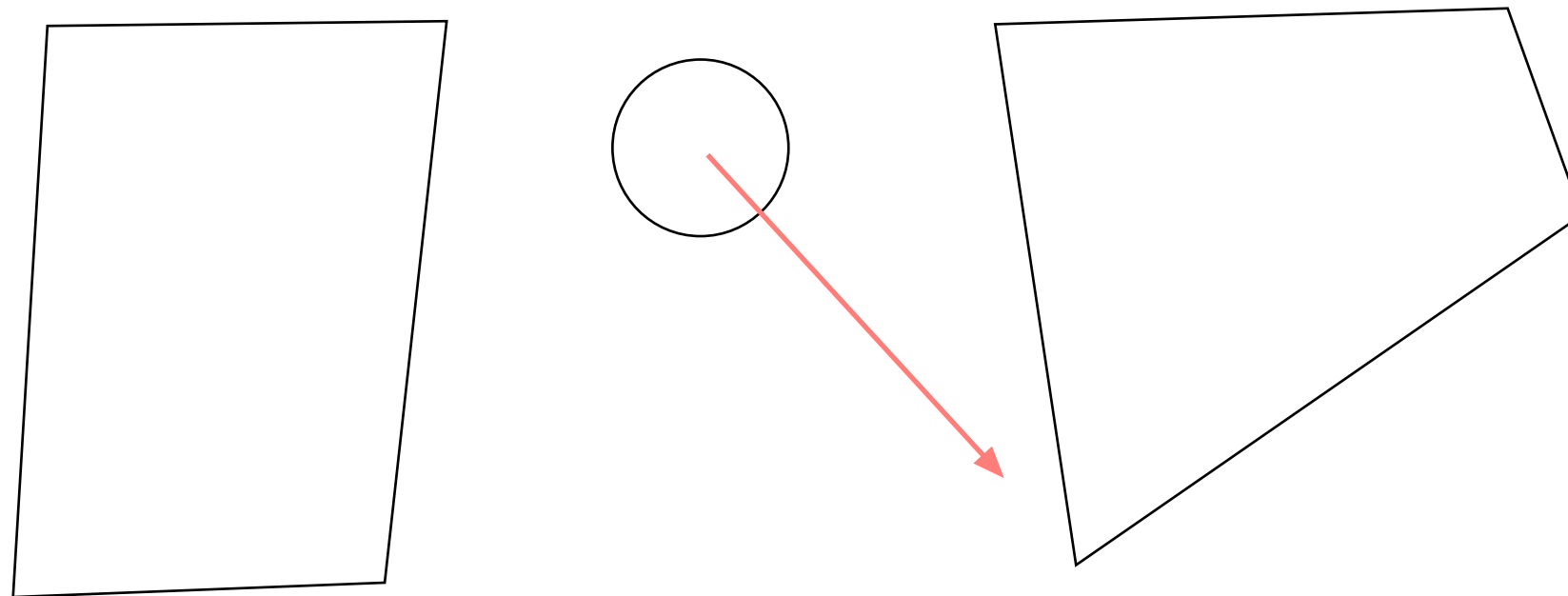


Teapot voxelized to 171 spheres

From Edhammer, "Rigid Body Physics for Synthetic Data Generation", 2016



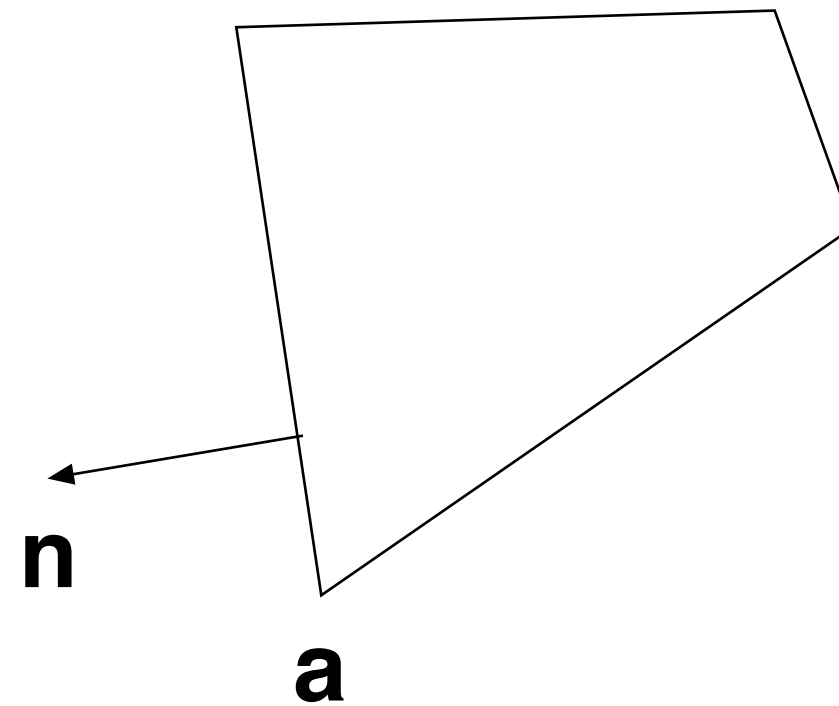
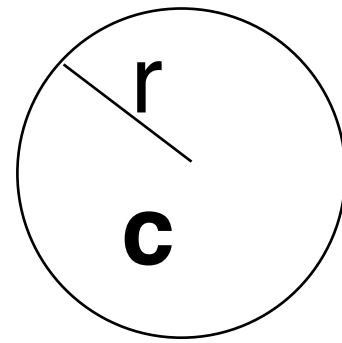
Spheres in polyhedra world: cameras as well as objects



**The size gives us a minimum distance to walls!
(E.g. more than the near Z clipping distance.)**



Sphere - polyhedra distance



$$\mathbf{n} \cdot (\mathbf{c} + r \cdot \mathbf{n}) > \mathbf{n} \cdot \mathbf{a}$$

\Rightarrow

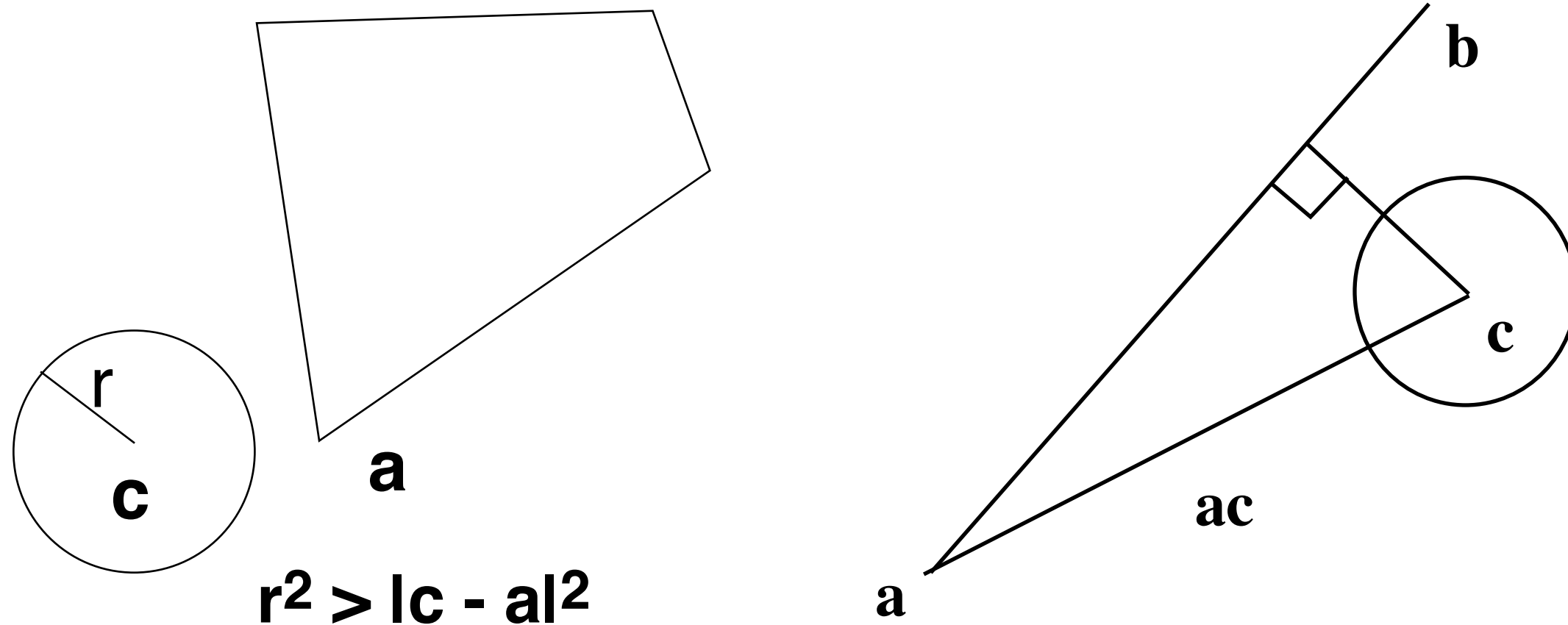
$$r > \mathbf{n} \cdot (\mathbf{a} - \mathbf{c})$$

Distance from center to plane $> r$

Valid when a line through \mathbf{c} along \mathbf{n} intersects the polygon!

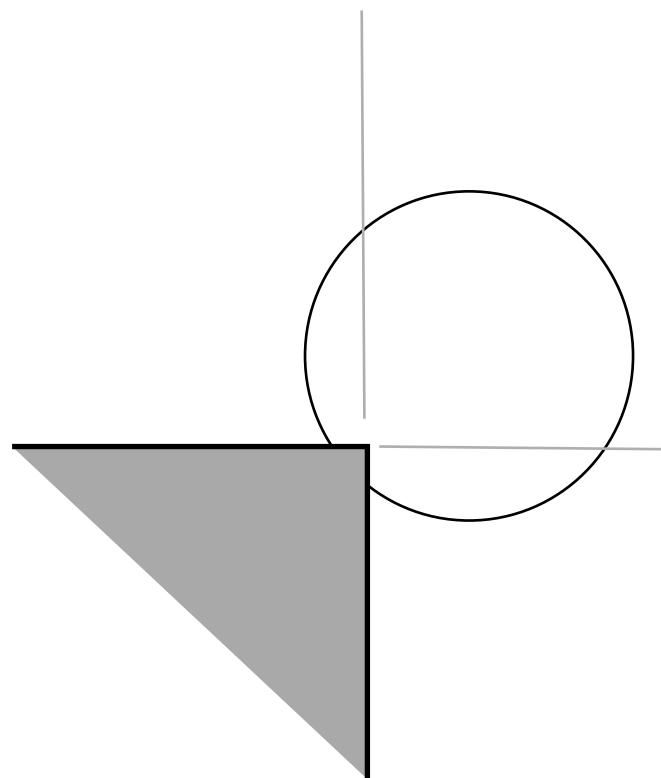


Exact test: Check corners and edges too

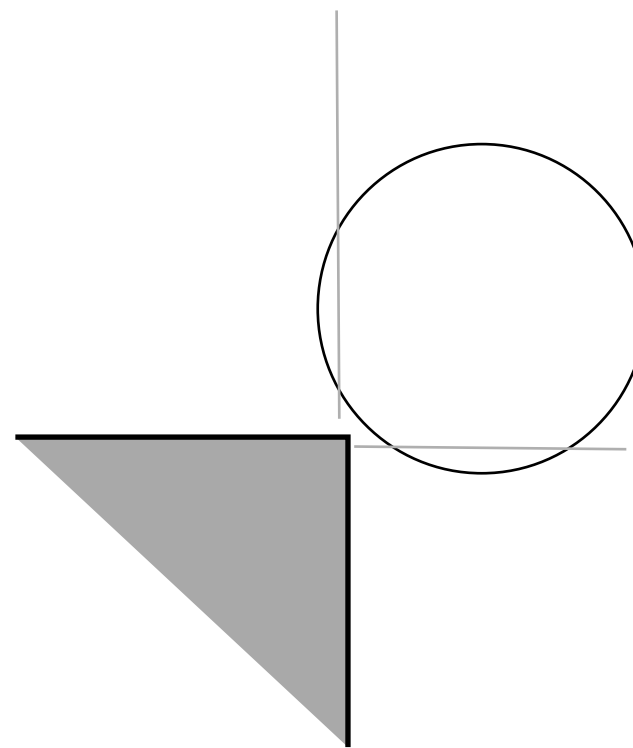




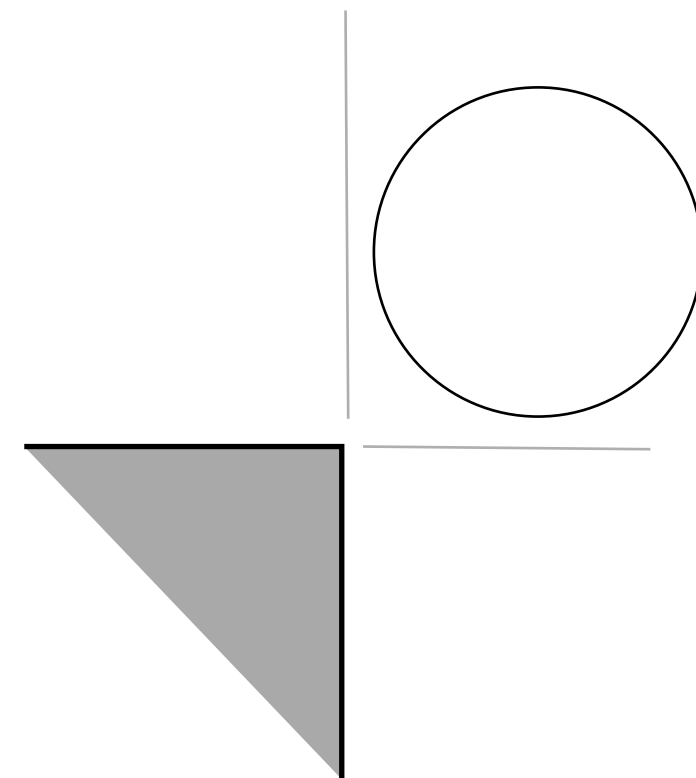
Simplification: Test all planes only! If outside *any* plane - outside, otherwise it intersects.



Correct hit



False hit



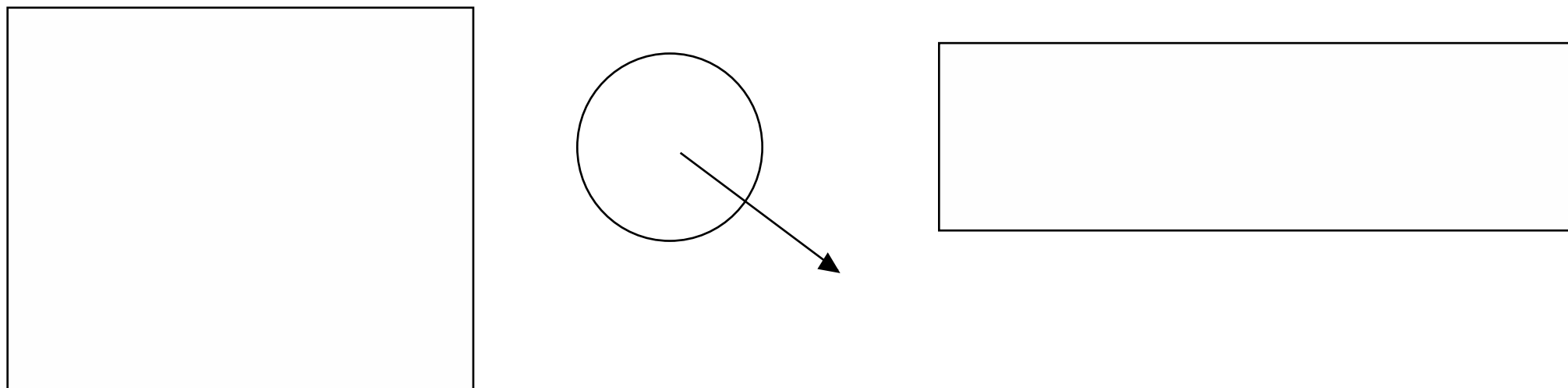
Correct miss



Even simpler case: Axis aligned 3D maze

All walls are AABBs All objects are spheres/cylinders

All tests are AABB tests





Final notes on the simplified camera collisions:

Resolving: Pick the closest intersected plane as the one to "hit", and use that for collision handling. The smallest change is usually correct.

Conclusion: Don't overdo it if you can fake it. Be ambitious, but don't waste time on effects that nobody will notice.



Global phase collision detection

Avoid many-to-many checks

Space subdivision

Simple: Linear sorting

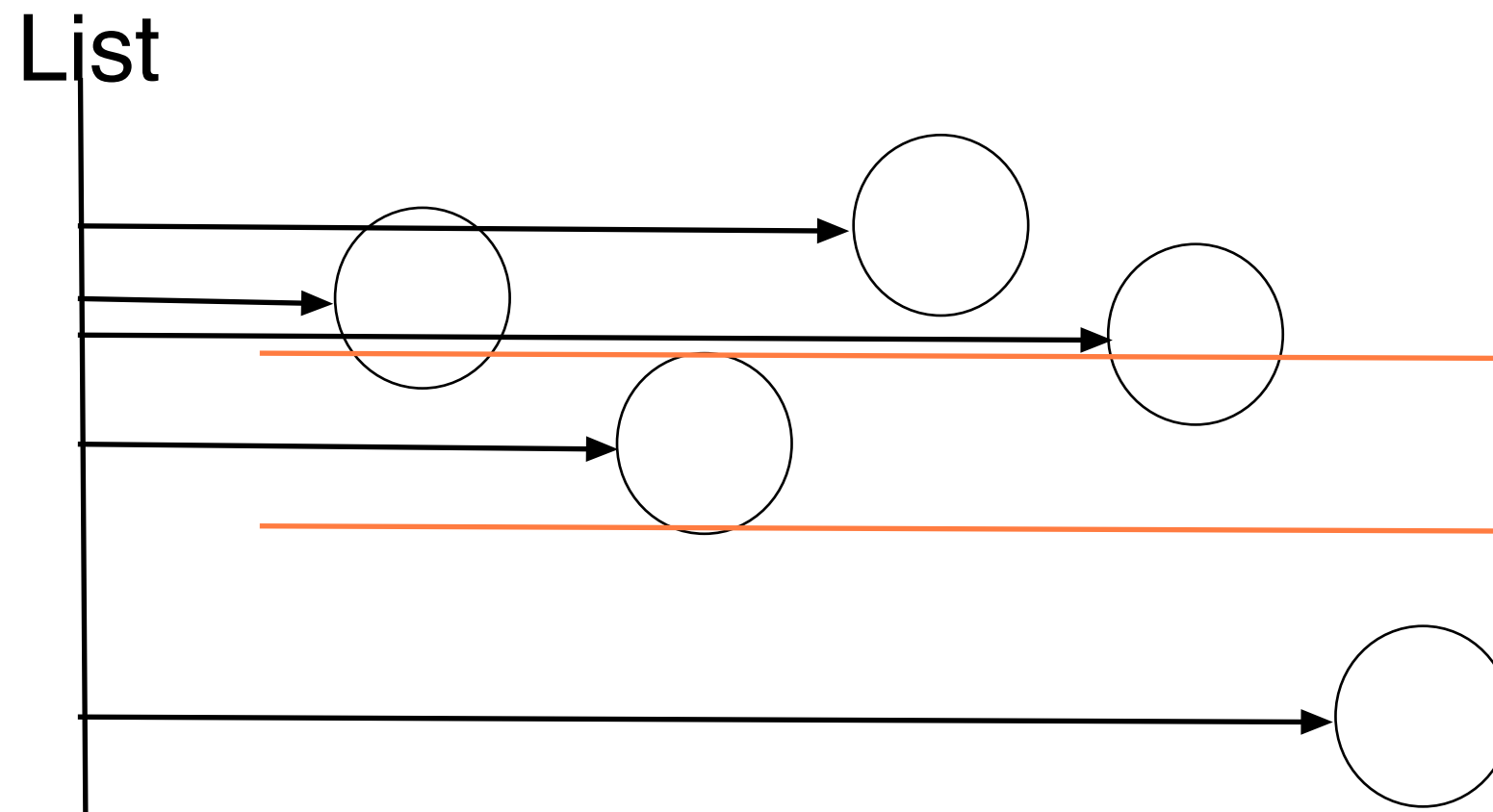
More elaborate: Hierarchies, octrees...

Simplify objects out of view?



Linear sorting

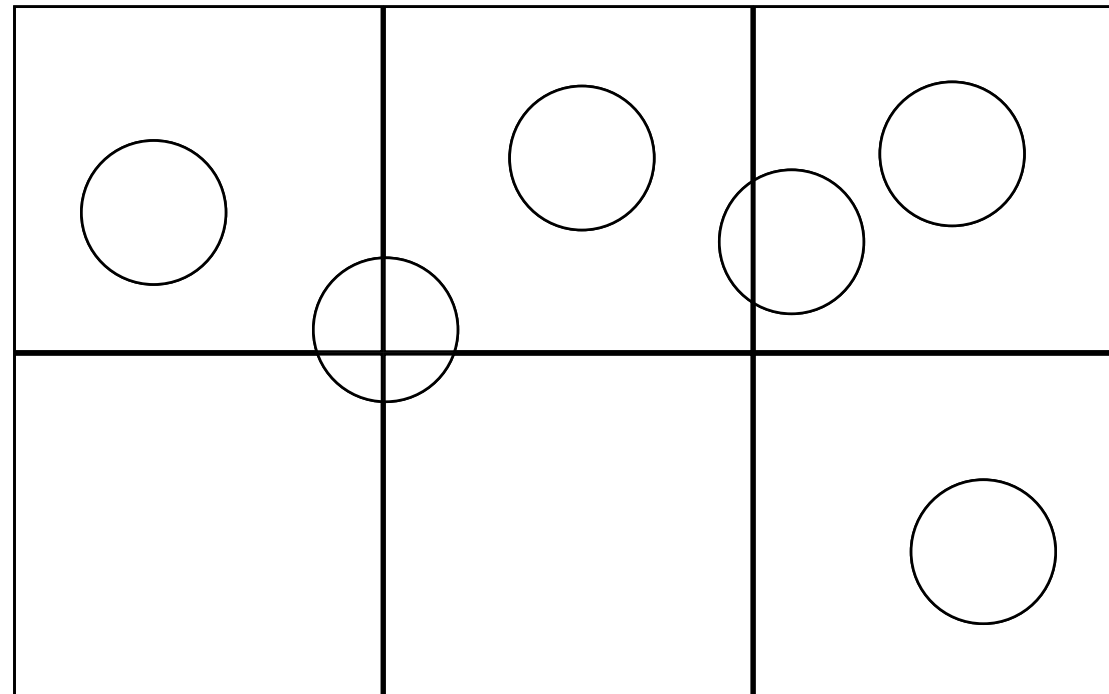
Reduces the problem by 1 dimension





Subdivision for collision detection

Subdivision by BSP trees, octrees, quad-trees
Generally useful for most large world problems

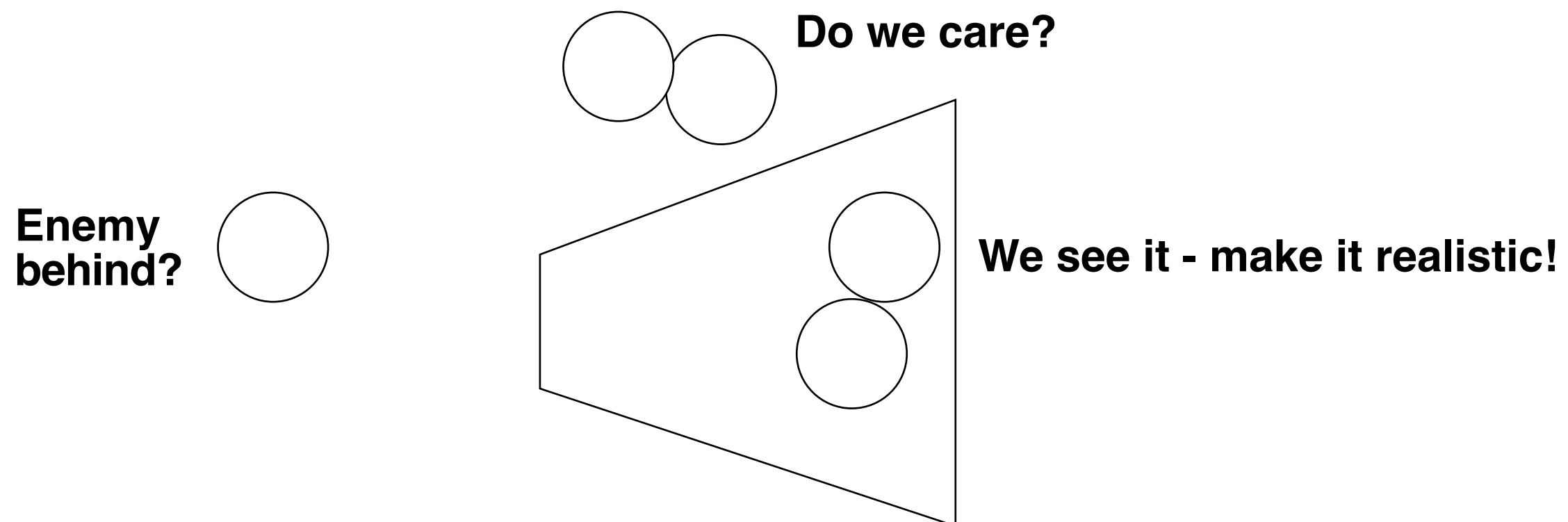




Frustum culling and collision detection

If we can't see it, do we care?

Frustum culling is already applied for drawing. Use it also for simplifying collision detection.





Collision detection and portals

Again, we can take advantage of visibility to reduce workload.

Portals lead to problems, objects near portals in cells and portals systems need to be present in both cells.

Process collision detection and AI in visible cells only, or visible and nearby.



Collision handling

What to do once a collision is found.

- **Separate**
- **Change velocities**
 - **Deform**
- **Maintain constraints**

Full (narrow-phase) tests are hard to resolve.



Simple particle physics (again)

acceleration = gravity + forces/mass

speed = speed + acceleration

position = position + speed

$$\mathbf{a} = \mathbf{g} + \sum \mathbf{f}/m$$

$$\mathbf{s} = \mathbf{s} + \mathbf{a}$$

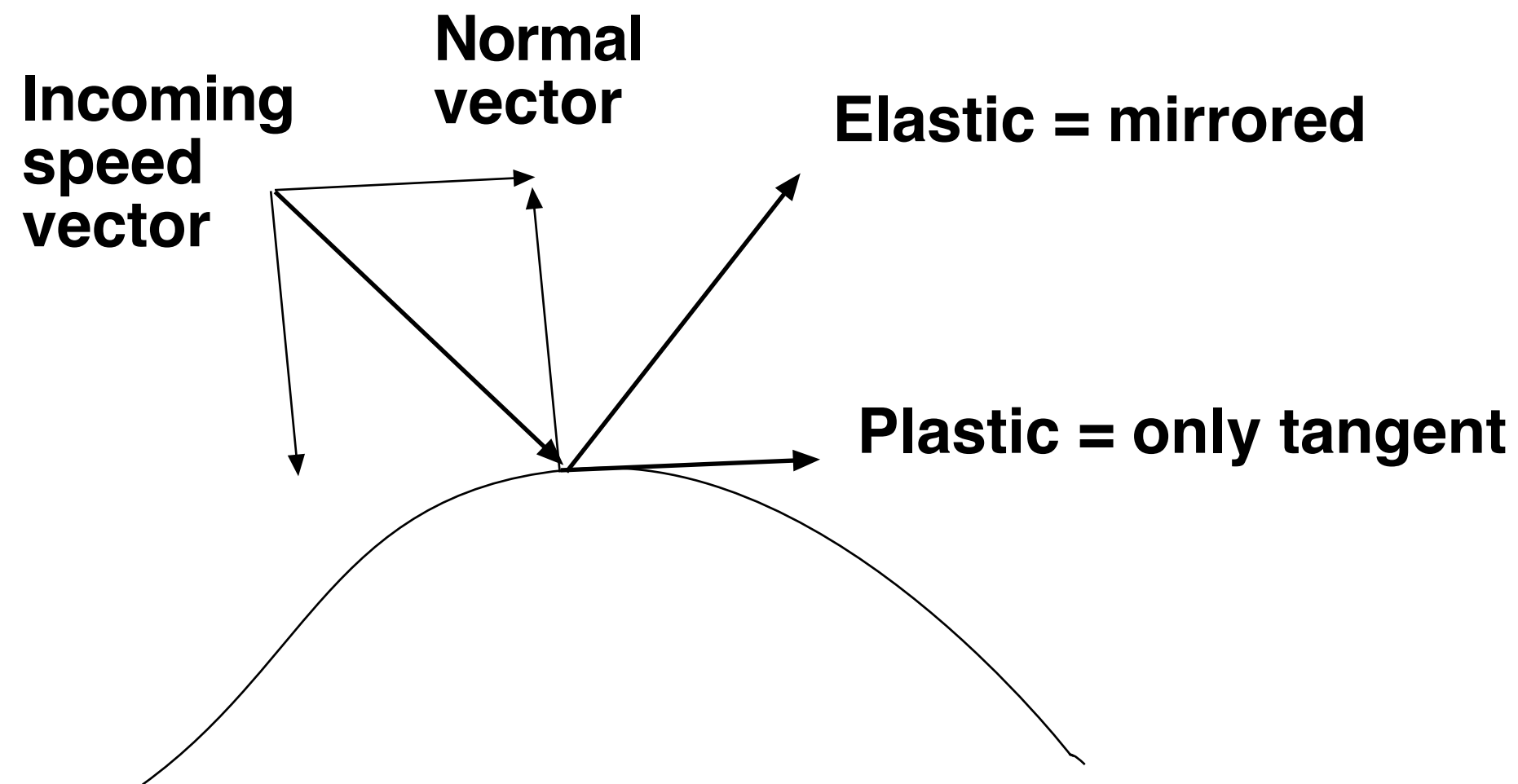
$$\mathbf{p} = \mathbf{p} + \mathbf{s}$$

(“Euler integration”)

Modify speed and position in collisions

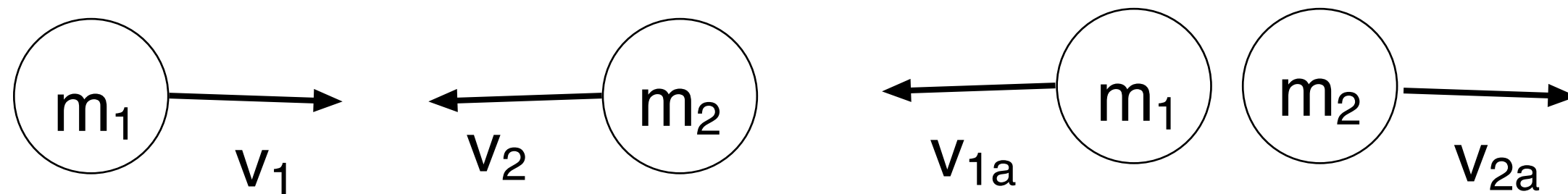


Simple particle-surface collision





Plastic and elastic collisions



Preserve momentum

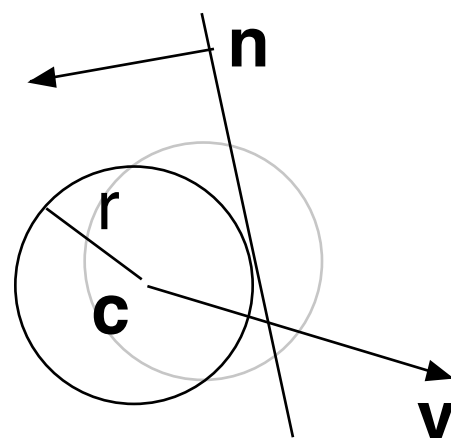
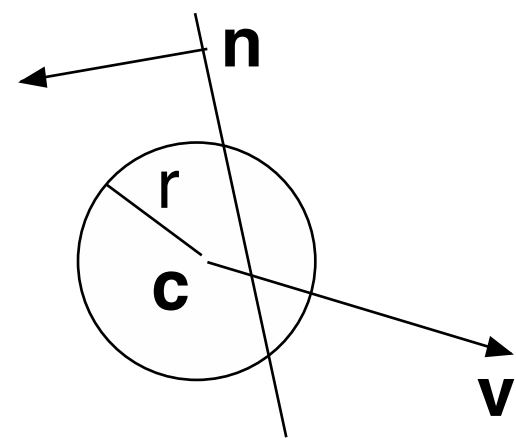
$$m_1 v_1 + m_2 v_2 = m_1 v_{1a} + m_2 v_{2a}$$

Elastic collisions also preserve kinetic energy

$$m_1 v_1^2 + m_2 v_2^2 = m_1 v_{1a}^2 + m_2 v_{2a}^2$$

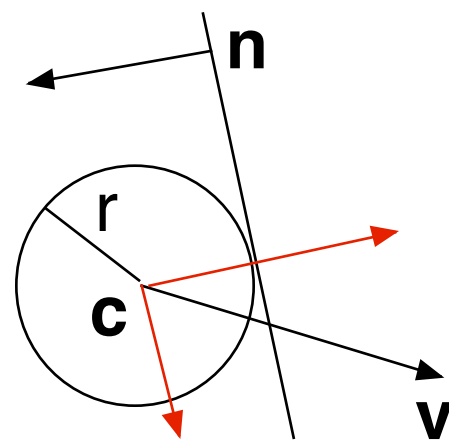


Collision handling sphere-polyhedra

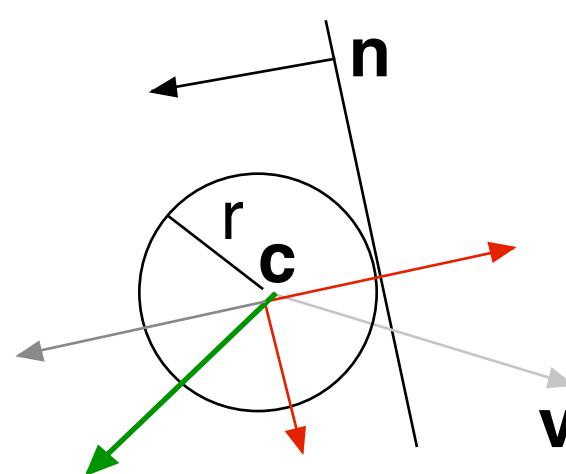


Assuming stationary polyhedra

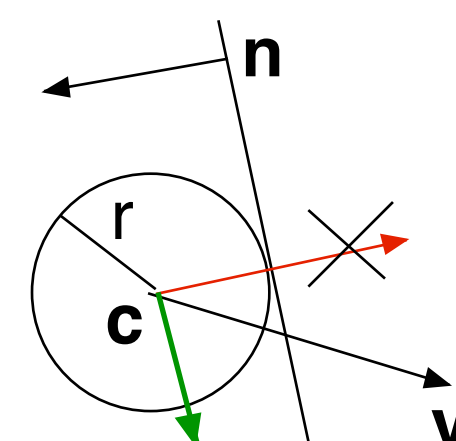
Separate - move object away along normal vector



Split velocity along n



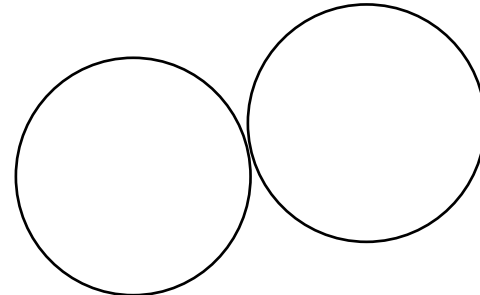
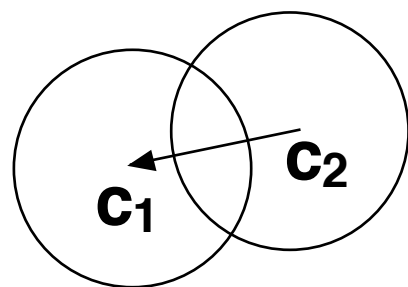
Elastic



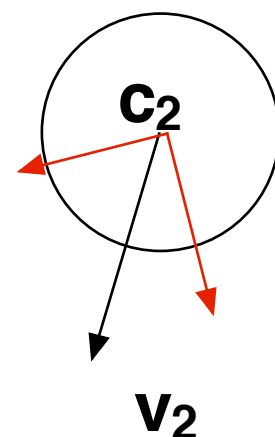
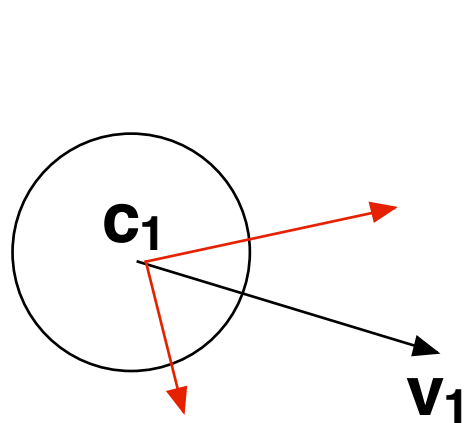
Plastic



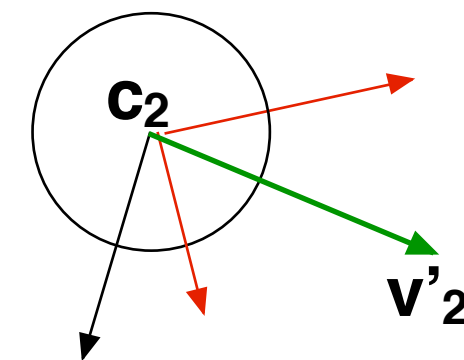
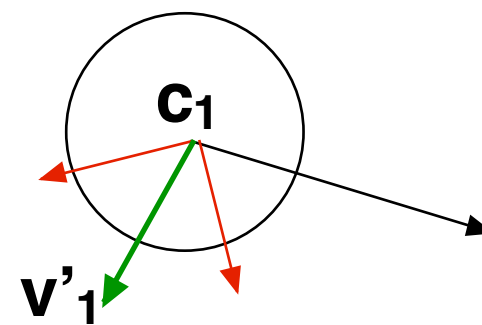
Collision handling sphere-sphere (simplified, point masses)



Separate - move object away along vector through centers



Split velocities along vector through centers ($c_2 - c_1$)



Elastic: Exchange components along $c_2 - c_1$



Beyond point-mass mechanics

Rigid body mechanics

Better integration

Stacking

**Applying forces and backing time to avoid
overlap**

Deformable bodies

Breakable bodies



Conclusions, collision detection

Must focus on convex shapes

Simple collision detection with AABB or spheres. Spheres vs polyhedra also easy. Polyhedra vs polyhedra hard to do.

Global phase also important

Narrow phase expensive and complex